



DATA GENERAL  
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PROGRAM

Random Number Generator

TAPES

ASCII Source: 090-000040

ABSTRACT

This routine generates a (pseudo) random sequence of integers  
in the range  $0 \leq N \leq 2^{*}16-1$ .

1. REQUIREMENTS

1.1 Memory

1K or larger alterable memory

1.2 Equipment

NOVA central processor

1.3 External Subroutines

None

1.4 Other

None

2. OPERATING PROCEDURE

2.1 Calling Sequence

JSR .RAND  
address of old value  
return

2.2 Input Format

The address of the previous random value (or initially a starting value) must be provided in the word after the JSR .RAND.

2.3 Output Format

The new 16-bit random result will be returned in AC $\emptyset$  and will also replace the previous value in memory.

2.4 Error Returns

None

2.5 State of Active Registers upon Exit

AC1 and AC2 are unchanged. AC $\emptyset$ , AC3 and Carry are destroyed.

## 2.6 Cautions to User

If a K-bit number ( $1 \leq K < 16$ ) is needed, use the most significant K bits (the least significant K bits are not as random). For example, to obtain random  $N \bmod 2$ , use the sign bit of the result.

## 3. DISCUSSION

### 3.1 Algorithms

This routine generates a linear, congruential sequence of the form

$$X(N + 1) = (X(N) * A + C) \bmod 2^{*16}$$

where  $N = (2^{*11} + 2^{*2} + 1)$

and  $C = 33031$  (octal)

### 3.2 Limitations and Accuracy

The resulting sequence has the maximum period of  $2^{*16}$ .

### 3.3 Size and Timing

The routine is 36 (octal) words in length.

Execution time is 244.7  $\mu$  seconds.

### 3.4 References

Donald E. Knuth, The Art of Computer Programming, Volume 2, Addison-Wesley Publishing Company (1969), Chapter 3.

### 3.5 Flow Diagrams

None

## 4. EXAMPLES AND APPLICATIONS

Although this routine produces numbers in the range

$$0 \leq N \leq 2^{*16} - 1$$

fractional values in the range

$$0 \leq F < 1$$

can be obtained by the simple computation

$$F \leftarrow N/2^{**16}$$

Random numbers are useful in a variety of applications - simulation of natural phenomena, random sampling, testing the effectiveness of computer algorithms, and probability theory to name a few.

The source of .RAND is provided with the NOVA software. If a user routine requires this program, the tape should be edited into the user source.

#### 5. PROGRAM LISTING

A listing of .RAND follows. No origin is given in the source, enabling the user to edit this tape anywhere within his routines.

```

; RANDOM NUMBER GENERATOR
; GENERATES A (PSEUDO) RANDOM SEQUENCE OF INTEGERS
; IN THE RANGE 0<= N <= 2**16-1

; INPUT:          ADDRESS OF OLD VALUE POINTED TO BY WORD
;                AFTER JSR

; OUTPUT:         16-BIT NEW RANDOM NUMBER IN AC0
;                AND IN STORAGE REPLACING OLD VALUE

; CALLING SEQUENCE:
;   JSR   .RAND
;   ADDRESS OF OLD VALUE
;   RETURN

; METHOD:          GENERATES A LINEAR CONGRUENTIAL
;                SEQUENCE OF THE FORM:
;                X(N+1) = (X(N)*A+C)MOD 2**16

; CAUTION:        IF A K-BIT RANDOM NUMBER (AS OPPOSED
;                TO A 16- BIT NUMBER) IS NEEDED,
;                USE THE MOST SIGNIFIANT
;                K-BITS (THE LEAST SIGNIFIANT K-BITS
;                ARE NOT AS RANDOM).
;                FOR EXAMPLE, TO OBTAIN RANDOM N MOD 2,
;                USE THE SIGN BIT OF THE RESULT

; UNCHANGED:     AC1, AC2
; DESTROYED:     AC0, AC3, CARRY

```

```

00000 054032 .RAND: STA 3,.UD03      ; SAVE RETURN
00001 010032     ISE .UD03        ; BUMP PAST ADDRESS CONSTANT
00002 044030     STA 1,.UD01       ; *SAVE AC1
00003 050031     STA 2,.UD02       ; *SAVE AC2
00004 031400     LDA 2,0,3        ; GET ADDRESS OF OLD VALUE
00005 021000     LDA 0,0,2        ; OLD VALUE TO AC0
00006 004015     JSR .UD50        ; N*A
00007 034034     LDA 3,.UD20      ; GET INCREMENT, C
00010 163000     ADD 3,0          ; (N*A+C) MOD 2**16
00011 041000     STA 0,0,2        ; STORE IT
00012 024030     LDA 1,.UD01      ; *RESTORE AC1
00013 030031     LDA 2,.UD02      ; *RESTORE AC2
00014 002032     JMP 0,.UD03      ; RETURN

```

; COMPUTE  $N*(2^{**}11+2^{**}2+1)$

```
00015 024035 .UD50: LDA 1,.UD21 ; GET COUNT, X
00016 044033 STA 1,.UD10 ; FOR ITERATION
00017 105120 MOVZL 0,1 ;  $N*2^{**}(X+1)$ 
00020 125120 MOVZL 1,1
00021 014033 DSZ .UD10
00022 000020 JMP .-2
00023 107000 ADD 0,1
00024 125120 MOVZL 1,1
00025 125120 MOVZL 1,1 ;  $2^{**}2*(N*2^{**}(X+1)+N)$ 
00026 123000 ADD 1,0
00027 001400 JMP 0,3 ;  $N+N*2^{**}2+N*2^{**}(X+3)$ 
```

```
00030 000000 .UD01: 0 ; *SAVE AC1
00031 000000 .UD02: 0 ; *SAVE AC2
00032 000000 .UD03: 0 ; SAVE RETURN

00033 000000 .UD10: 0 ; ITERATION COUNT

00034 033031 .UD20: 33031 ; INCREMENT
00035 000010 .UD21: 10 ; ITERATION COUNT, X
```